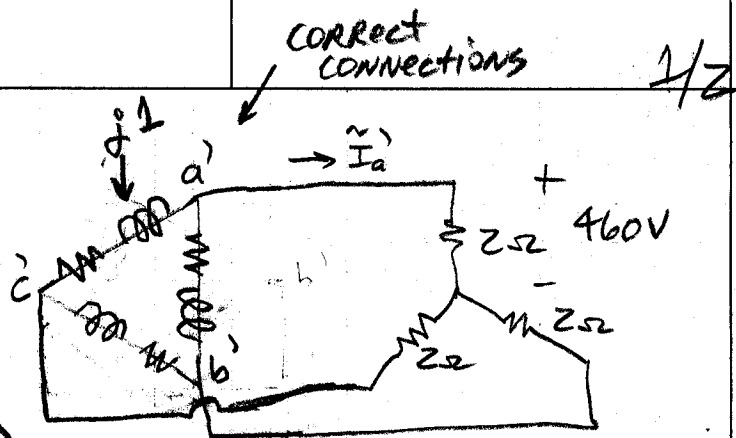
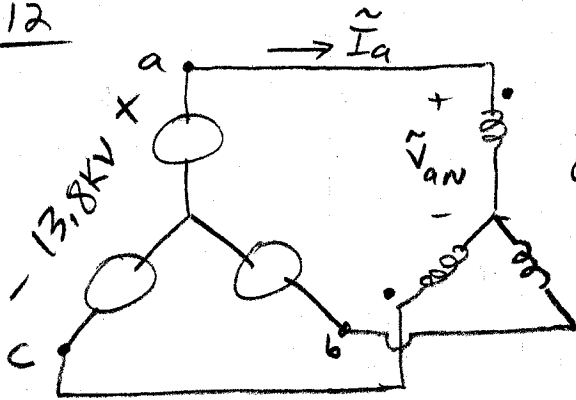


5.12



CORRECT CONNECTIONS

1/2

Over here, $\hat{V}_{ab} = 13.8 \text{ kV} \angle 0$,
 so $\hat{V}_{an} = \frac{\hat{V}_{ab}}{\sqrt{3}} \angle -30^\circ = 7.97 \angle -30^\circ \text{ kV}$

Individual 10:1 transformers with $Z = j1 \Omega$ (problem doesn't say, but I'm assuming this is in the 797 V winding,

ANSI standard dictates that the connections are made so that $\hat{V}_{AN \text{ Low Side}}$ lags $\hat{V}_{AN \text{ High Side}}$ by 30°

If $\hat{V}_{AN \text{ High Side}} = 7.97 \angle -30^\circ$, then $\hat{V}_{ab \text{ Low Side}} = \hat{V}_{AN \text{ High Side}} \cdot \left(\frac{1}{10}\right) = 0.797 \angle -30^\circ \text{ kV}$

Thus, using ANSI, $\hat{V}_{AN \text{ Low Side}} = \hat{V}_{ab \text{ Low Side}} \cdot \left(\frac{1}{\sqrt{3}} \angle -30^\circ\right)$
 effect of changing l-l to l-n.

Thus, $\hat{V}_{an \text{ Low Side}} = (0.797 \angle -30^\circ) \left(\frac{1}{\sqrt{3}} \angle -30^\circ\right) = 460 \angle -60^\circ \text{ V}_{RMS}$

Putting the $j1 \Omega$ in wye give $j\frac{1}{3}$, so $\hat{I}'_a = \frac{460 \angle -60^\circ}{j\frac{1}{3} + 2}$

so, $I'_{ab} = \hat{I}'_a \left(\frac{1/\sqrt{3}}{\sqrt{3}}\right) = 131 \angle -39.5^\circ \text{ A} = 227 \angle -69.5^\circ \text{ A}$

$\hat{I}_a = (131 \angle -39.5^\circ) \left(\frac{1}{10}\right) = 13.1 \angle -39.5^\circ$

so, the equivalent load impedance on the high side is $\frac{7970 \angle -30^\circ}{13.1 \angle -39.5^\circ} = 608 \angle 9.5^\circ \Omega$

5.12, cont

The best way to approach this problem is to reflect the load Z using the line-to-line turns ratio, ignoring all phase shift (because \tilde{V} & \tilde{I} shift the same)

$$Z_{\text{HIGH SIDE}} = Z_{\text{LOW SIDE}} \cdot \left[\frac{13800}{7970/10} \right]^2 = \left(2 + \frac{j}{3} \right) (300) = 600 + j100 = 608 / 9.5^\circ$$

line-to-line turns ratio.

The line-to-neutral turns ratio gives the same results

$$\left(2 + \frac{j}{3} \right) \left(\frac{7970}{10 \cdot \frac{1}{\sqrt{3}}} \right)^2 \quad (\text{same as above})$$

300